

2A-2D Summative Review:

2A: Relative Frequency

2B: Theoretical and Experimental Probability

2C: Random Outcomes

2D: The Counting Principle, Permutations, and Combinations

1. Rewrite each decimal or fraction as a percent:

a) 0.42

b) 0.004

c) $\frac{65}{300}$

d) $\frac{12}{30}$

2. The chart below shows the number of students in each grade at GHS.

Freshman	Sophomores	Juniors	Seniors
150	130	160	85

Write each grade total as a percent of the total number of students at GHS.

Write each grade's percent as an amount of degrees of a circle.

Create a relative frequency circle graph of the number of students at GHS.

Follow-up questions to # 2:

What is the probability that if you walked past a random student in the hallway that it would be a senior?

Based on your circle graph, if you were to make a new friend today, what grade would that person most-likely be in and why?

3. Suppose you have a fair, six sided die. Find the reduced fraction and probability of the following happening:

a) $P(3)$

d) $P(\text{odd})$

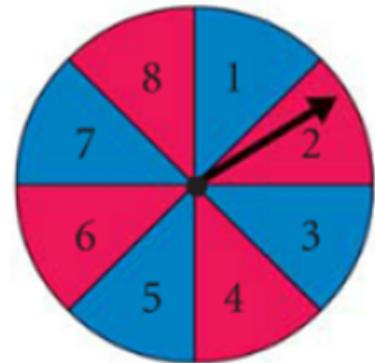
b) $P[(2) \text{ or } (5)]$

c) $P(\text{not } 4)$

4.

Find the odds in favor of the spinner landing on the following:

- a) What is the probability of spinning an even number:
- b) What is the probability of spinning a divisor of 12
- c) What is the probability of spinning a multiple of 3
- d) What is the probability of spinning a divisor of 4
- e) What is the probability of spinning a prime number



- f) What is the probability of spinning a factor of 10
- g) What is the probability of spinning a 9
- h) $P(\text{number greater than } 3)$

5. Find the reduced fraction and probability of each.

A card is drawn from a shuffled deck of 52 cards:

- | | |
|---------------------------|--------------------------------------|
| a) $P(\text{green card})$ | f) $P(\text{not a 10 of diamond})$ |
| b) $P(\text{diamonds})$ | g) $P(\text{club or spade})$ |
| c) $P(\text{face card})$ | h) $P(\text{red or black card})$ |
| d) $P(\text{ace})$ | i) $P(5 \text{ of hearts})$ |
| e) $P(\text{not a club})$ | j) $P(\text{numbered card or club})$ |

6. Give an example of a situation where it is very difficult to make predictions of what may happen next.

7. Suppose that you observed that an ice cream shop has the following flavors:

Chocolate, vanilla, strawberry, chocolate-chip cookie dough, cookies and cream, and cookie monster.

a) Based on the number of flavors that the shop has, what would you assume the probability would be that when a random person walks into the ice cream shop, he or she will purchase vanilla?

b) Do you think that this probability you found in part a is reflective of what percentage of people actually buy vanilla? Why or why not?

15. A PIN for your ATM card consists of 4 numbers. You can repeat any of those 4 numbers. How many possible PINs can you come up with?

16. Your password for your school computer has to be 3 consonants (non-vowels) followed by 4 digits (0-9) and then finally one special character (!, @, #, \$, %, &, *). How many passwords are possible if no consonants may be repeated but any digit can be?